# Списък цитирания на публикации на
# Николай Василев Живков

**статия:** 1. N.V. Zhivkov, *Metric Projections and Antiprojections in Strictly Convex Normed Spaces,* Compt. rend. l'Acad. bulg. Sci., 31, 4 (1878), 369-372.

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**статия:** 3. N.V. Zhivkov, *Plane Polygonal Approximation of Bounded Convex Sets,* Compt. rend. l'Acad. bulg. Sci., 35, 12 (1982), 1631-1634.

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**статия:** 5. N.V. Zhivkov, *Necessary Condition for Best Hausdorff Approximation of Plane Convex Compacta by Polygons,* Colloq. Math. Soc. Janos Bolyai, Intuitive Geometry 48, 1 (1985), 663-688.

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**статия:** 24. Todor Tagarev, Tsvetomir Tsachev, and Nikolay Zhivkov, *Formalizing the Optimization Problem in Long-Term Capability Planning,* Information and Security, 23 (1), (2009), 99-114.

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