

# GEOMETRIC BAR CONSTRUCTION - 1

SPEAKER: P. DALAKOV

## 1. TIME AND PLACE:

Friday, May 30, room 503, IMI.



**Time:** 15:30

**Special time, due to scientific council meeting**

## 2. ABSTRACT

In algebraic topology, one constructs, for a topological space  $X$  and a topological group  $G$ , a classifying space  $BG$  for topological  $G$ -bundles. It comes equipped with a universal  $G$ -bundle  $EG \rightarrow BG$ . These spaces are unique up to homotopy, their most famous model being Milnor's.

In this talk we are going to discuss the “geometric bar construction” due to Milgram and Dold–Lashof. If  $G$  is an abelian (countable CW-) topological group, this construction produces models for  $EG$  and  $BG$  which are topological groups, and  $EG \rightarrow BG$  is a group homomorphism.

We are also going to endow these spaces with smooth/holomorphic space structure, whenever  $X$  is smooth/complex manifold, following Gajer.