

Publications
of the works of Prof. Vesselin Petkov

Monographs

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Articles

- [1] The Cauchy problem for symmetrizable systems and for nonstrictly hyperbolic equations. *Uspehi Mat. Nauk.* **26** (1971), No 6, 251–252 (in Russian).
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